



Main Finding

Participants were asked for their best guess of where a particular US city was located and to draw a circle centered at that estimate such that they were confident the circle's area would contain the city's true location. Simple and radius-weighted arithmetic averages of the individuals' point estimates demonstrated a wisdom of the crowd effect. Modelbased estimates generally outperformed these statistical averages, especially when the models allowed for **individual differences in expertise** that could vary city by city.

Experimental Design



Figure 1: An example of a participant's response with their point estimate of where the city is located represented as a dark orange dot and their selected radius represented as the larger orange circle surrounding it.

Participant Responses

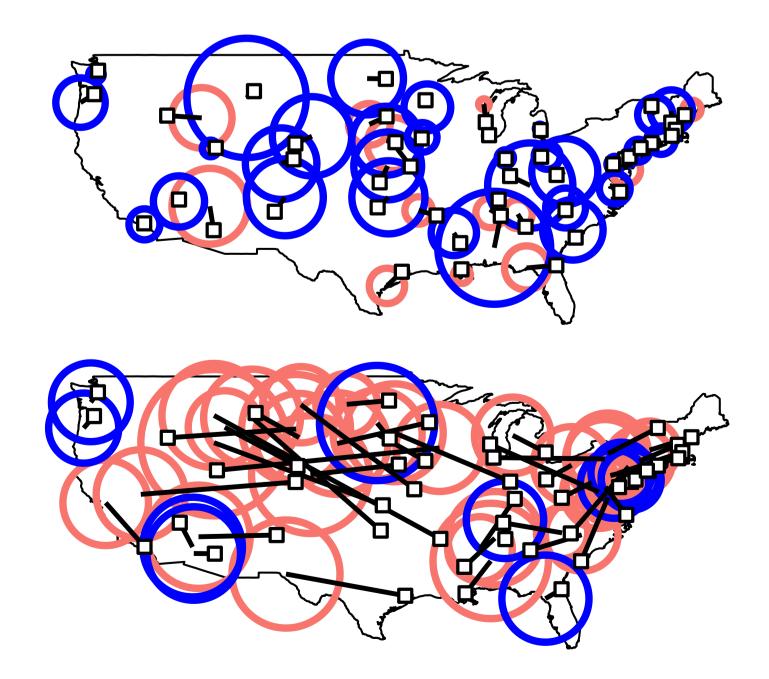


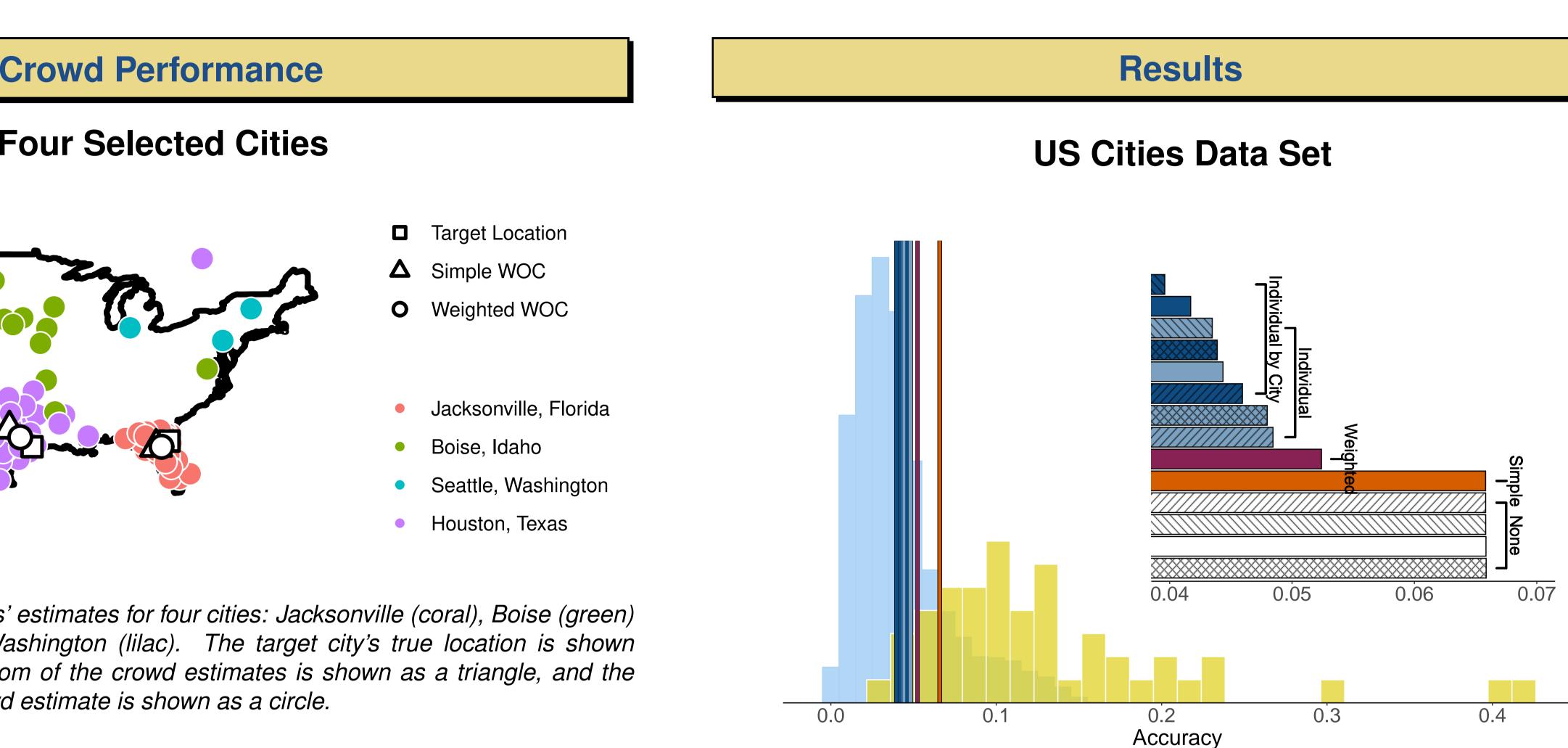
Figure 2: The true locations of the 48 city locations (as squares) compared with the estimated locations (the centers of the blue and red circles) for a relatively accurate participant (top panel) and for a less accurate participant (bottom panel). Correct responses for which the circles participants drew contained the true location are in blue, while incorrect responses are in red.

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Where's Waldo, Ohio? Improving Wisdom of the Crowd Aggregates for Spatial Knowledge

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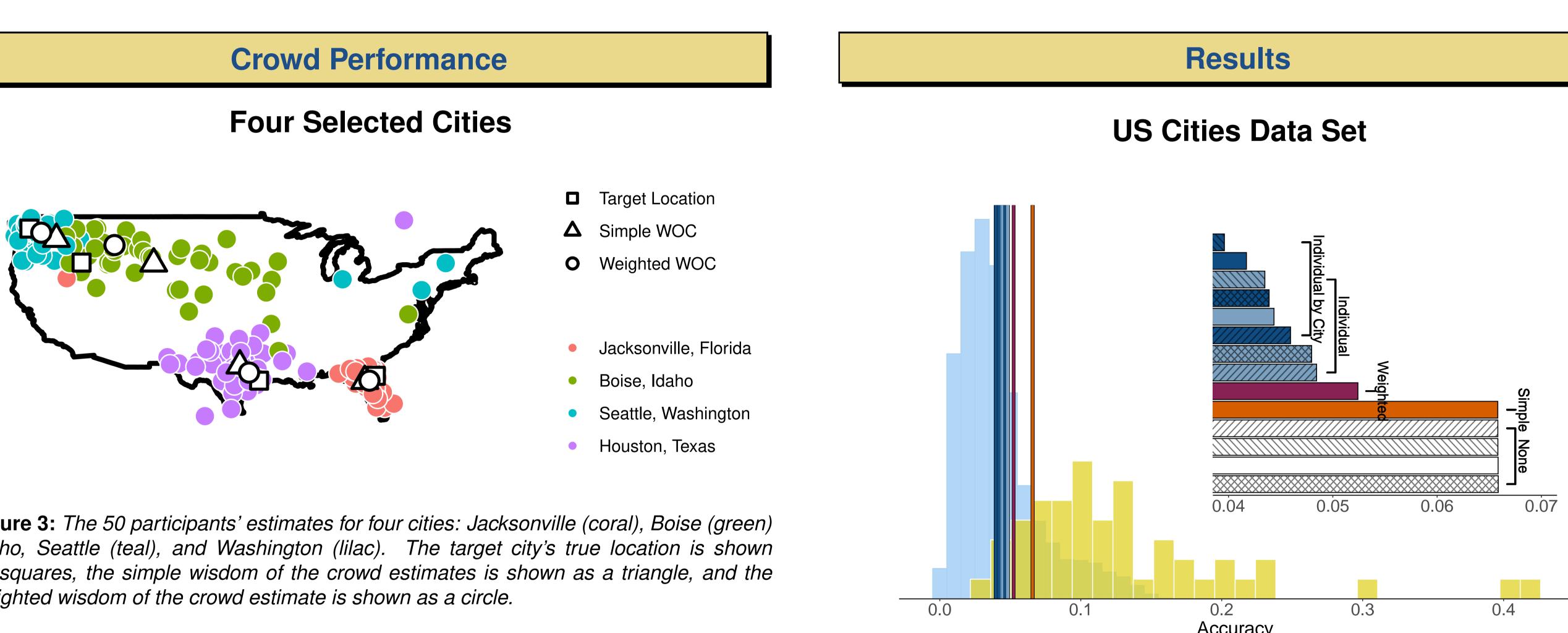


Figure 3: The 50 participants' estimates for four cities: Jacksonville (coral), Boise (green) Idaho, Seattle (teal), and Washington (lilac). The target city's true location is shown as squares, the simple wisdom of the crowd estimates is shown as a triangle, and the weighted wisdom of the crowd estimate is shown as a circle.

Cognitive Models for Aggregating Estimates

Model of Point Estimates

 $y_{ij} \sim \text{Multivariate Gaussian}(\mu$

$$\boldsymbol{\Sigma_{ij}} = \begin{bmatrix} \lambda_{j1}^2 + \sigma_i^2 + \beta_{ij}^2 & \rho_j \sqrt{\lambda_j^2} \\ \rho_j \sqrt{\lambda_{j1}^2 + \sigma_i^2 + \beta_{ij}^2} \sqrt{\lambda_{j2}^2 + \sigma_i^2 + \beta_{ij}^2} & \rho_j \sqrt{\lambda_j^2} \end{bmatrix}$$

Model of Radius Information

 $y_{ij}^r \sim \text{Gaussian}\left(\alpha_i \sqrt{\max(\lambda_j)^2 + \sigma_i^2 + \beta_{ij}^2}, 1/\tau^2\right)$

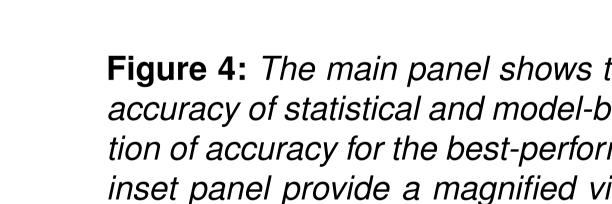
Key Parameters

City Location μ_i Individual Expertise Individual-by-City Expertise City Difficulty $\lambda_{i1}, \lambda_{i2}$ Individual Uncertainty α_i

References

Mayer, M., & Heck, D. W. (2023). Cultural consensus theory for two-dimensional location judgments. Journal of Mathematical Psychology, 113, 102742. doi: 10.1016/ j.jmp.2022.102742

See the project OSF at osf.io/ve8t9/ or QR code above



estimates.

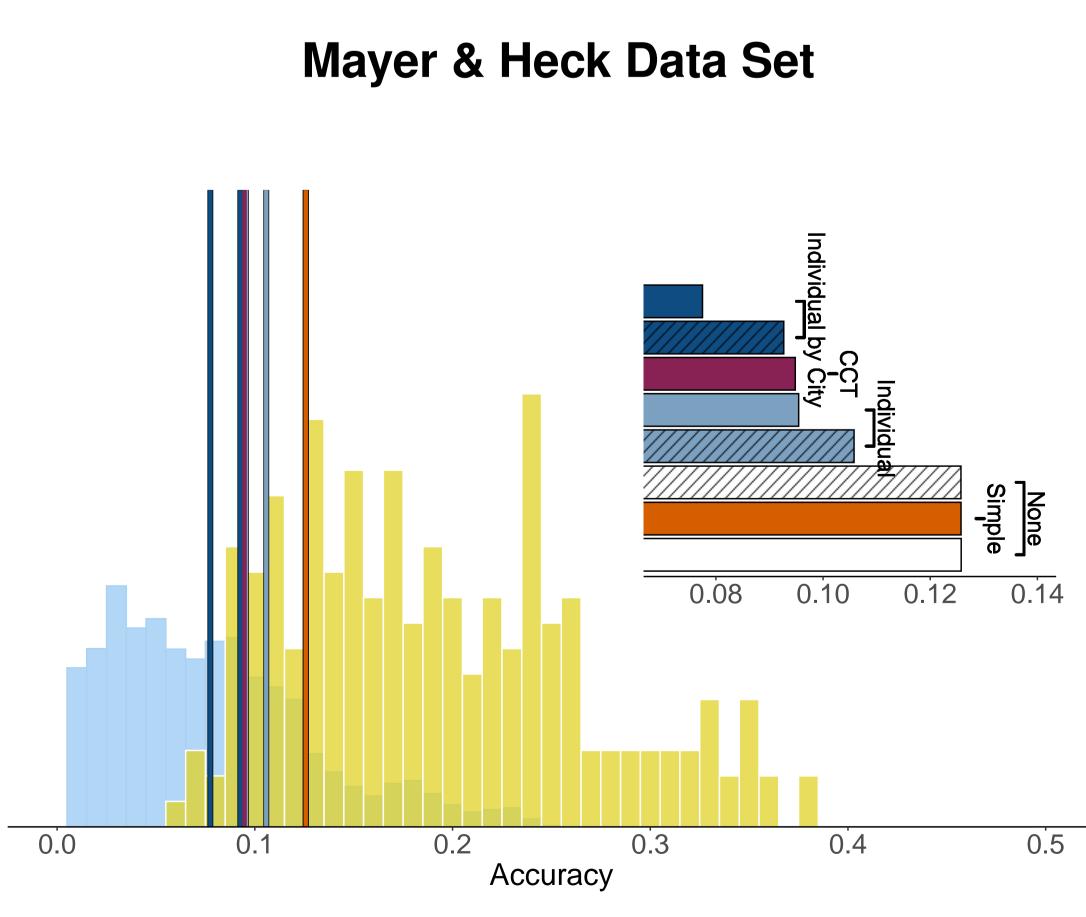


Figure 5: Same structure as Figure 4

$$\begin{array}{l} \boldsymbol{\mu}_{j}, \boldsymbol{\Sigma}_{ij}) & (1) \\ \hline 1 + \sigma_{i}^{2} + \beta_{ij}^{2} \sqrt{\lambda_{j2}^{2} + \sigma_{i}^{2} + \beta_{ij}^{2}} \\ \lambda_{j2}^{2} + \sigma_{i}^{2} + \beta_{ij}^{2} \end{array} \end{array}$$



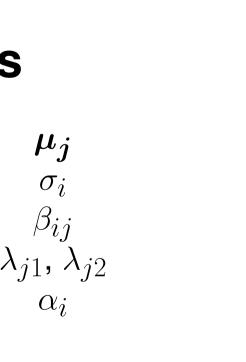




Figure 4: The main panel shows the distribution of individual accuracy in yellow and the accuracy of statistical and model-based estimates by vertical lines. The posterior distribution of accuracy for the best-performing model is shown in blue. The horizontal bars in the inset panel provide a magnified view of the performance of model-based and statistical