



# The Advantages of Numeric Uncertainty Information in Complex Decision-Making Task



Jee Hoon Han & Susan Joslyn  
University of Washington, Seattle, WA, USA

## Introduction

- It is now possible to quantify uncertainty information in some domains.  
(weather forecast: 30% chance of 6 inches or more of snow)
- However, experts worry that the lay-person will not understand it.
- Nonetheless, research suggests that people use numeric uncertainty to make better decisions for binary choices.  
Joslyn & LeClerc, 2013
- However, in many real-world situations there are more options, increasing processing load.
- Will the advantage for numeric uncertainty information hold when more options are considered?

## Research Question

Do people make better decision with numeric uncertainty information when 3 as well as 2 options are considered?

## Methods

### School closure simulation task

- Participants ( $N = 178$ ) advised schools when to close due to snow
- Based on a weather forecast for snow accumulation (in inches)
- Instructions: advise closing when *snow accumulation*  $\leq 6$  is expected and advise delaying\* when  $1 \leq$  *snow accumulation*  $< 6$  is expected.
- Goal: Retain as many endowed points as possible
  - Small cost for closing & delaying\*
  - Potential larger penalty for not closing or delaying\* (\* indicates that it's only in the 3-option condition)

Weather forecast: (in the 3option + prob. condition)

**4 inches** of snow. (*single value forecast*)

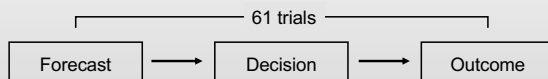
**84% chance** of snow 1 inch or more.\* (*probabilistic*)

**31% chance** of snow 6 inches or more.

What is your advice to the school in the area?

Cost: 2 points      Cost: 1 point\*      Cost: 0 points



## Methods cont.

### Point system

- Costs to either close (2 points) or delay (1 point)\*
- Possible penalty for not taking protective action

### • 2 (2-option vs. 3-option) X 2 (probabilistic vs. single value forecast)

Complexity	Forecast Format		Optimal Decision	Outcome	
	Single Value	Probabilistic		Cost	Potential Penalty
2-Option	4" of snow	4" of snow 24% chance of snow 6+"	Close ↑-----6" Open	2	0
				0	8
3-Option	4" of snow	4" of snow 84% chance of snow 1+" 31% chance of snow 6+"	Close ↑-----6" Delay ↑-----1" Open	2	0
				1	4
				0	2 or 8

## Results

### Expected Value

Forecast: 5 inches of snow, 30% chance of 6 or more inches of snow

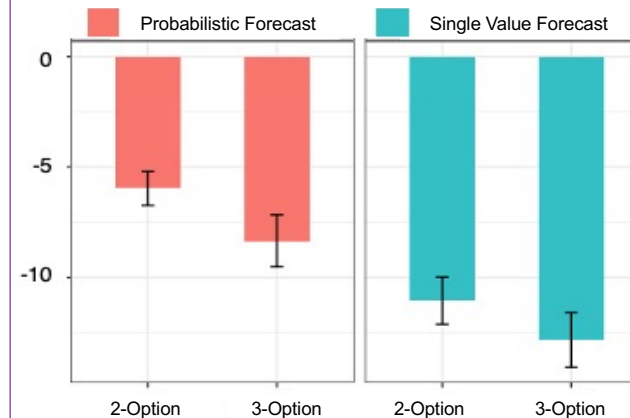
Close: = -2 points (← optimal choice)

Open: (-8) X (30%) = -2.4 points

Based on the expected value, there is one economically optimal decision for every trial

### Expected Value Difference (EVD)

Participants' mean expected value – optimal expected value = EVD



**Probabilistic** ( $M = -7.43$ ,  $SD = 6.43$ ) better (shorter) than **Single Value**

( $M = -11.88$ ,  $SD = 7.77$ ),  $F(1, 174) = 19.50$ ,  $p < .001$ ,  $\eta_p^2 = .10$ ;

**2-Option** ( $M = -8.70$ ,  $SD = 6.33$ ) marginally better (shorter) than **3-Option**

( $M = -10.56$ ,  $SD = 7.94$ ),  $F(1, 174) = 3.65$ ,  $p = .06$ ,  $\eta_p^2 = .02$ .

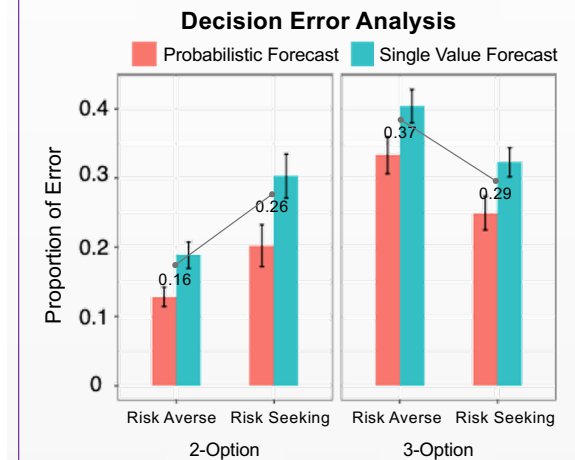
Error bars represent standard errors of the mean.

## Results cont.

### Decision Error Analysis

Risk averse: a decision safer than optimal option

Risk seeking: a decision riskier than optimal option



**Probabilistic** better (less error) than **single value** forecast

$F(1, 348) = 19.03$ ,  $p < .001$ ,  $\eta_p^2 = .05$ .

**2-way interaction:** People in **2-option** made more *risk seeking*

errors, whereas people in **3-option** condition made more *risk averse* error,  $F(1, 348) = 25.43$ ,  $p < .001$ ,  $\eta_p^2 = .07$ .

Error bars represent standard errors of the mean.

Kahneman & Tversky, 1979

## Conclusion

- Numeric uncertainty information led to better quality decision in a more complex and realistic task
- Addition of an intermediate option changes the tendency from risk seeking to risk averse in loss scenario

## References

- Joslyn, S., & LeClerc, J. (2013). Decisions with uncertainty: The glass half full. *Current Directions in Psychological Science*, 22(4), 308-315.
- Kahneman, D., & Tversky, A. (1979). Prospect theory: An analysis of decision under risk. *Econometrica*, 47, 263-291.

This research was funded by a grant from National Science Foundation (NSF), Award No. 1559126