Predicting preference from attention: An analysis with prospect theory

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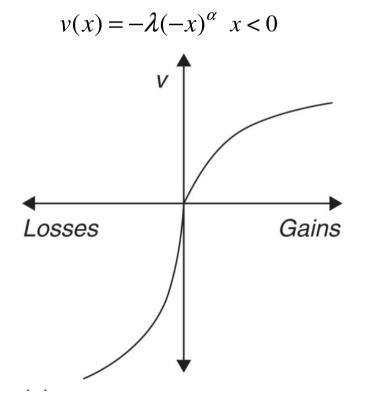
Cumulative prospect theory (CPT)

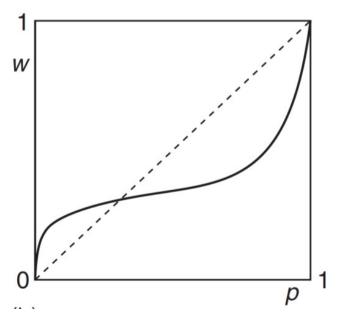
Value function

 $v(x) = x^{\alpha}$ $x \ge 0$

Probability weighting function

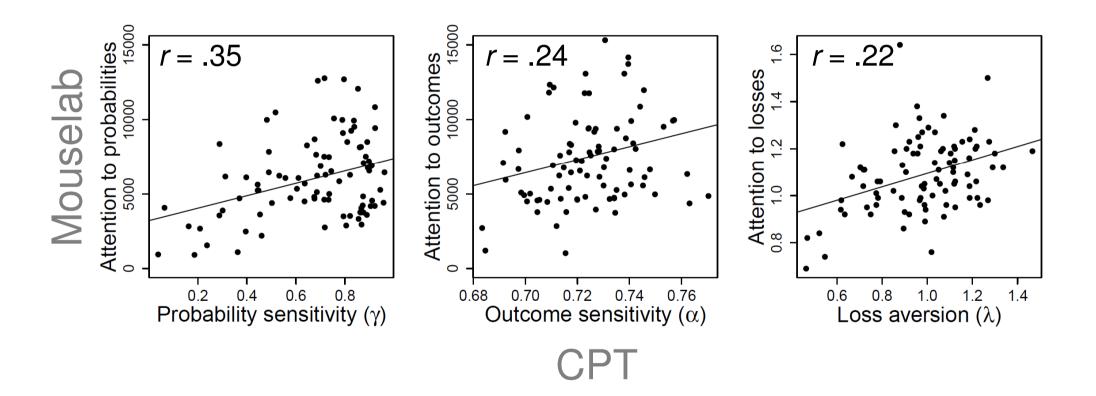
$$w(p) = \frac{\delta p^{\gamma}}{\delta p^{\gamma} + (1-p)^{\gamma}}$$





Tversky & Kahneman (1992)

CPT parameters track attention

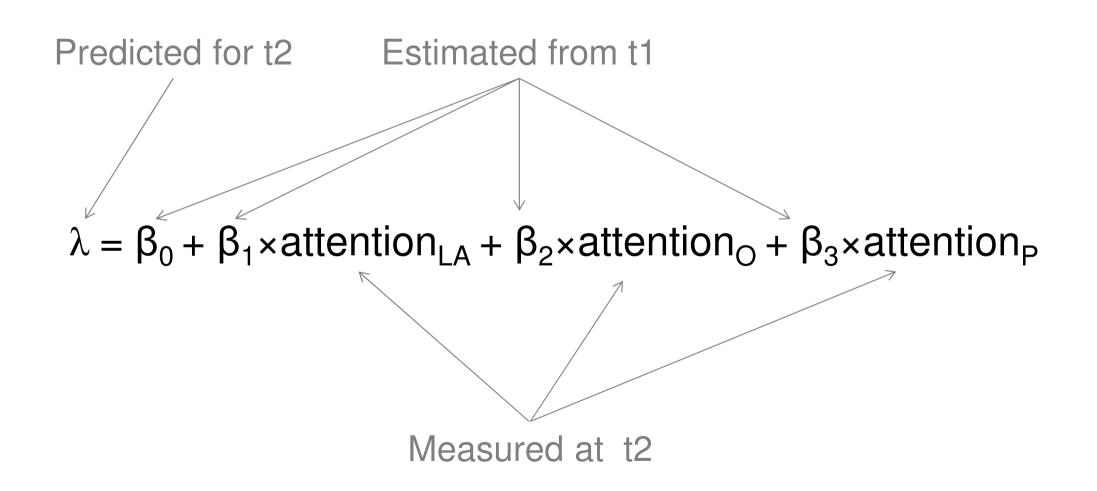


Pachur, Schulte-Mecklenbeck, Murphy, & Hertwig (2018)



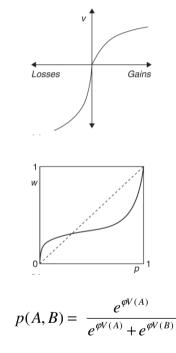
Pachur, Schulte-Mecklenbeck, Murphy, & Hertwig (2018)

Predicting choices using CPT with parameters predicted based on attention

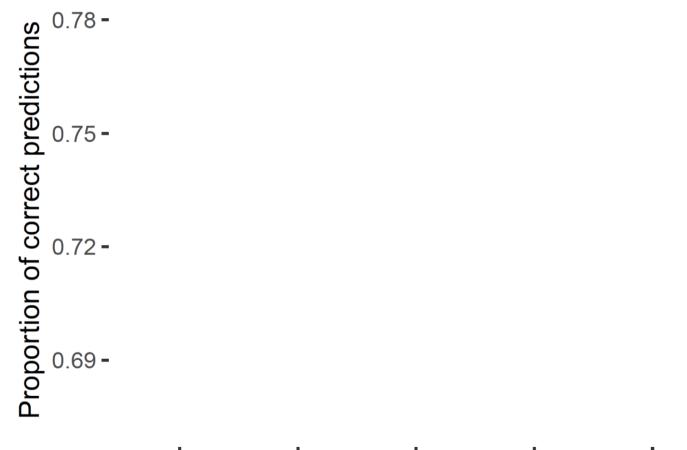


Predicting choices using CPT with parameters predicted based on attention

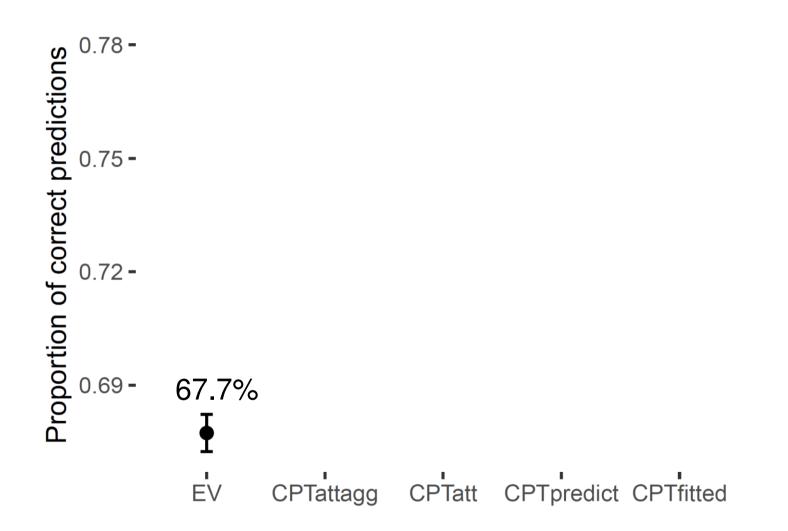
$$\begin{split} \lambda &= \text{attention}_{\text{LA}} + \text{attention}_{\text{O}} + \text{attention}_{\text{P}} \\ \alpha &= \text{attention}_{\text{LA}} + \text{attention}_{\text{O}} + \text{attention}_{\text{P}} \\ \gamma &= \text{attention}_{\text{LA}} + \text{attention}_{\text{O}} + \text{attention}_{\text{P}} \\ \delta^{+} &= \text{attention}_{\text{LA}} + \text{attention}_{\text{O}} + \text{attention}_{\text{P}} \\ \delta^{-} &= \text{attention}_{\text{LA}} + \text{attention}_{\text{O}} + \text{attention}_{\text{P}} \\ \phi &= \text{attention}_{\text{LA}} + \text{attention}_{\text{O}} + \text{attention}_{\text{P}} \end{split}$$

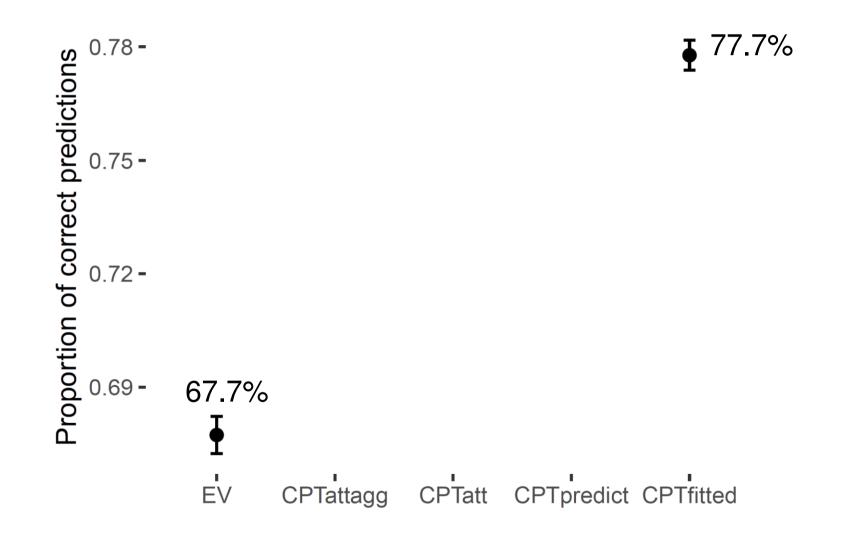


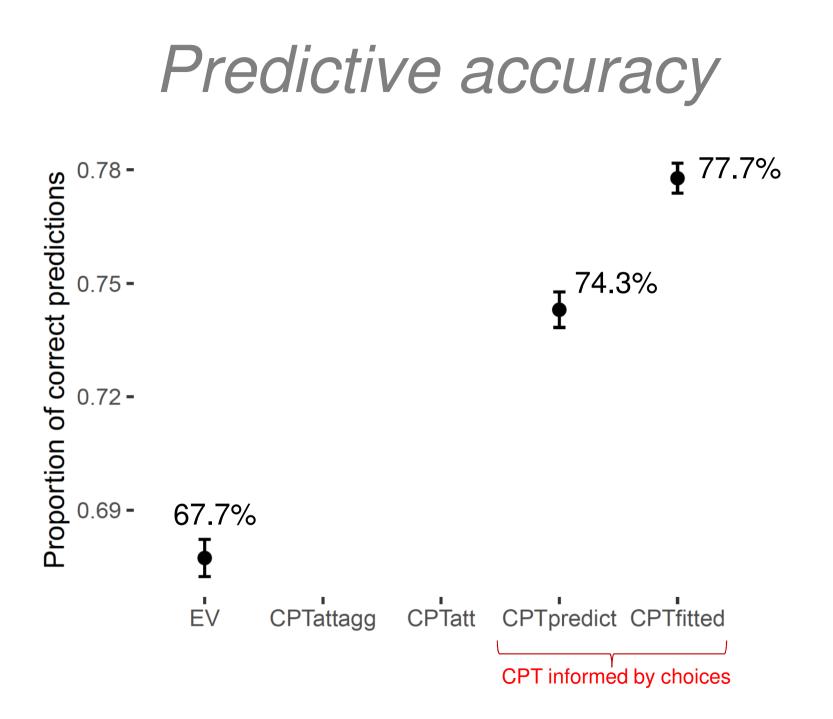
 \rightarrow Predicted parameters used to derive choices across sessions for each participant

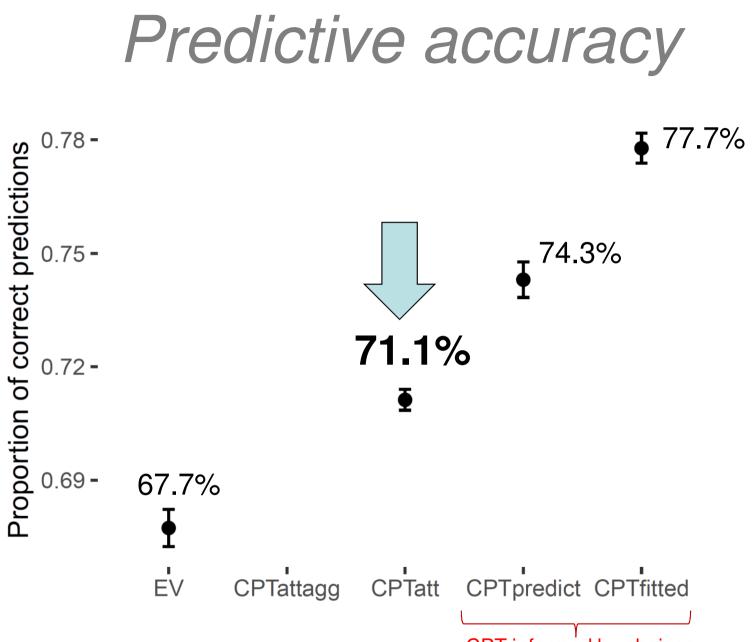


EV CPTattagg CPTatt CPTpredict CPTfitted

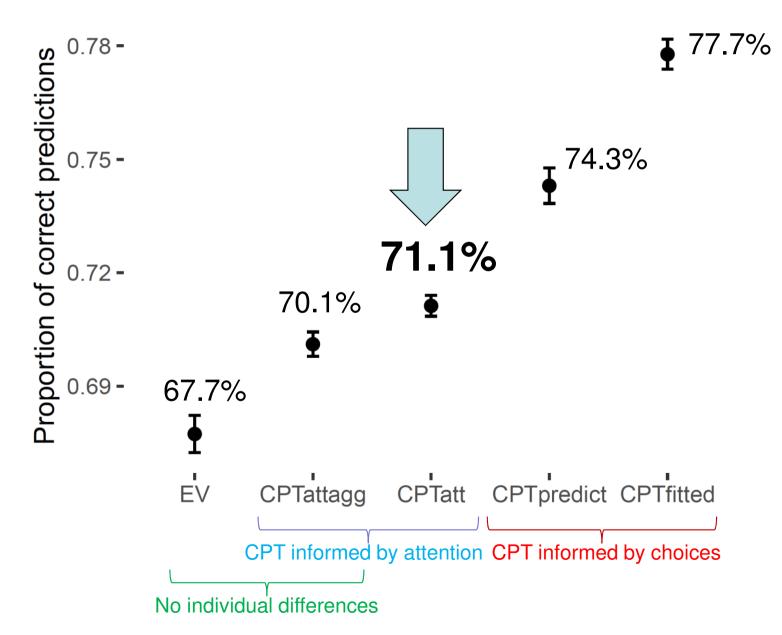








CPT informed by choices



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